

The eclipsing AM CVn star, SDSS J0926+3624

Tom Marsh

Department of Physics, University of Warwick

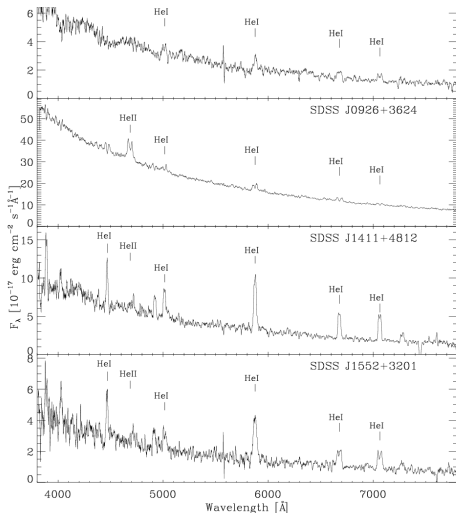
Co-Is: *Vik Dhillon, Stu Littlefair, Paul Groot, Pasi Hakala,
Gijs Nelemans, Gavin Ramsay, Gijs Roelofs, Danny
Steeghs*

Outline

1. The discovery of SDSS J0926+3624
2. ULTRACAM observations:
 - Phenomenology: superhumps and QPOs
 - Eclipses, parameters.
 - Testing Patterson's ϵ - q relation
 - Timing
3. Conclusions

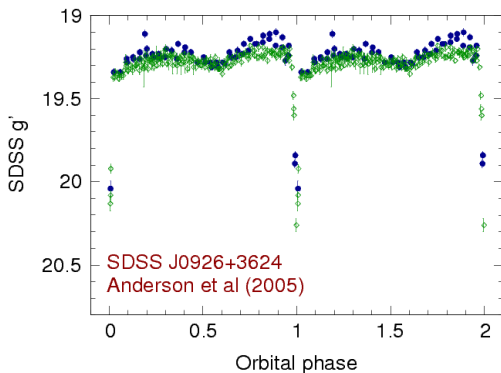
The discovery of SDSS0926+3624

- Anderson et al (2005) discovered 4 new AM CVn stars in the SDSS.
- SDSS J0926+3624 is eclipsing, the first and currently the only eclipsing AM CVn known.
- $P = 28$ minutes
- $g' = 19.3$ out of eclipse with eclipses lasting ~ 1 minute.

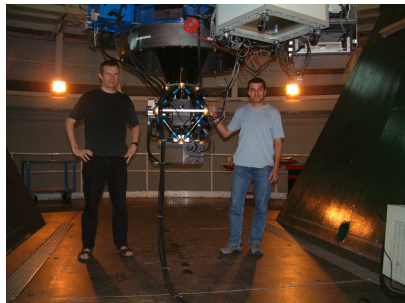
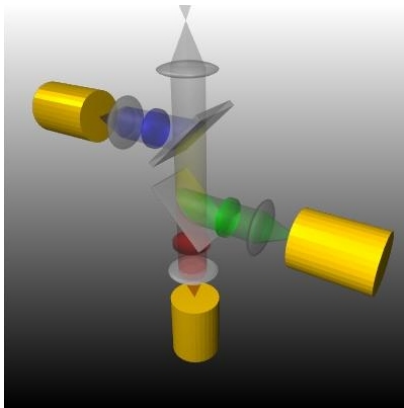


The discovery of SDSS0926+3624

- Anderson et al (2005) discovered 4 new AM CVn stars in the SDSS.
- SDSS J0926+3624 is eclipsing, the first and currently the only eclipsing AM CVn known.
- $P = 28$ minutes
- $g' = 19.3$ out of eclipse with eclipses lasting ~ 1 minute.



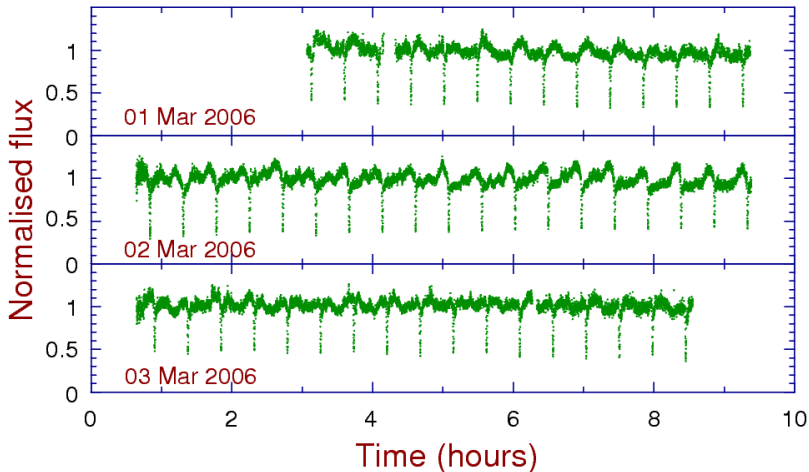
ULTRACAM: a high-speed CCD photometer



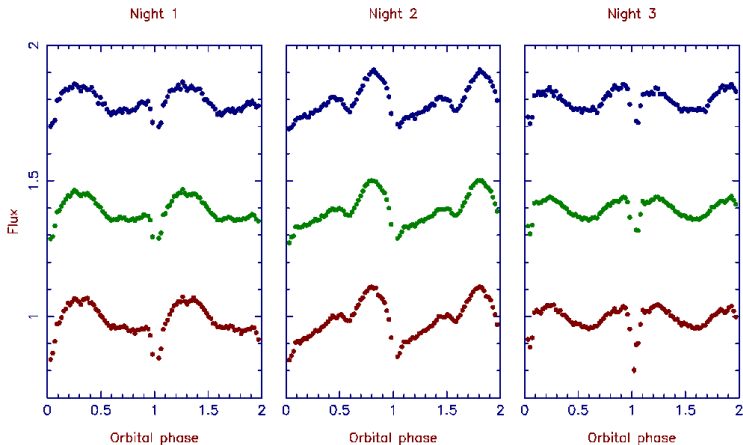
at Cass on the 4.2m WHT

ULTR

SDSS0926+3624 with 4.2m WHT & ULTRACAM



Superhumps – I.

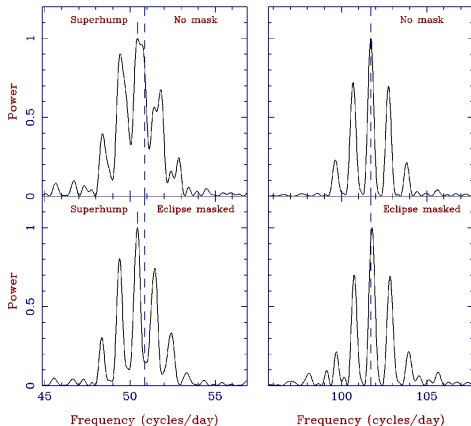


Gross changes of the light curve from night-to-night caused by **superhumps**, a changing, tidal distortion of the outer disc that occurs for $q = M_2/M_1 < 0.3$ (Whitehurst 1987).

Superhumps – II.

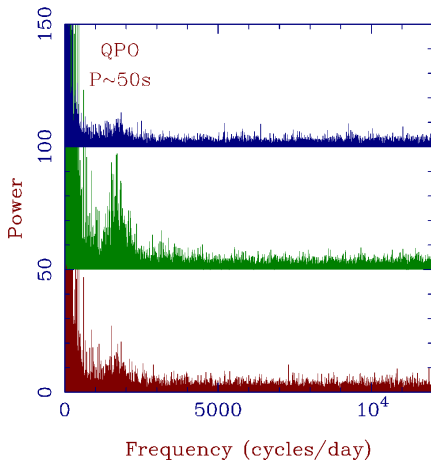
Superhump cycle time:

$$P_{\text{Cyc}} = \frac{P_{\text{Orb}} P_{\text{SH}}}{P_{\text{SH}} - P_{\text{Orb}}},$$
$$= 2.26 \pm 0.26 \text{ days.}$$



QPO

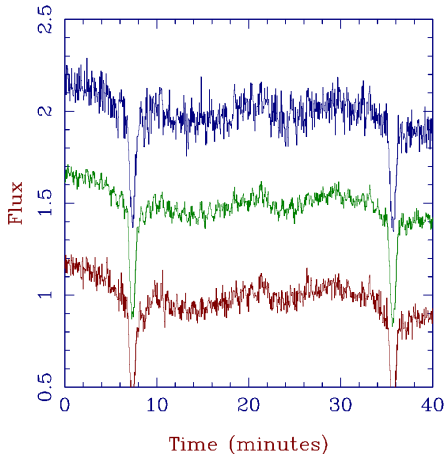
No high frequency oscillations, but a QPO with a period around 50 seconds.



QPO

No high frequency oscillations, but a QPO with a period around 50 seconds.

Peak-to-peak amplitude up to $\sim 10\%$



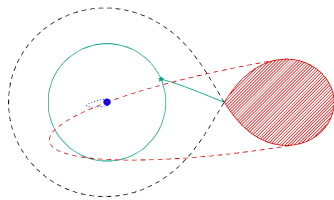
Eclipse analysis in CVs

Stream dynamics and Roche geometry \Rightarrow the orbital inclination i and the mass ratio $q = M_2/M_1$

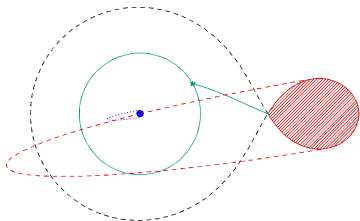
Accretor's eclipse gives R_1/a .

M - R relation and Kepler's 3rd law $\Rightarrow M_1$ and M_2 .

Smak (1979); Cook & Warner (1984); Wood et al (1986)

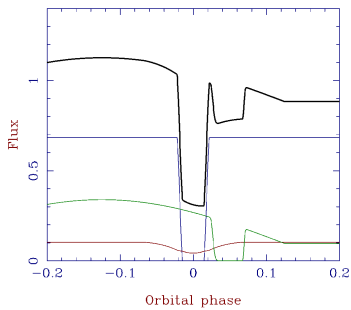
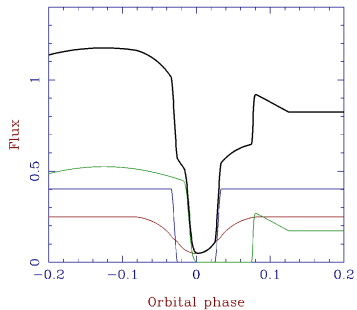


$$q = 0.2, i = 80^\circ$$



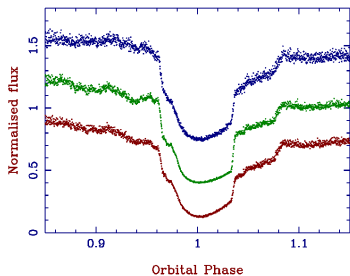
$$q = 0.1, i = 83.9^\circ$$

Example models



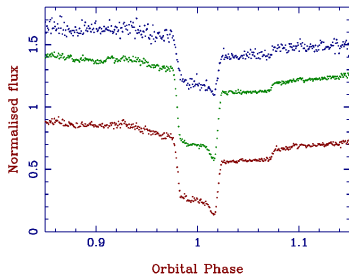
Example data, courtesy Stu Littlefair

SDSS J1702+3229



$$P = 144 \text{ min}, q = 0.215$$

SDSS J1507+5230

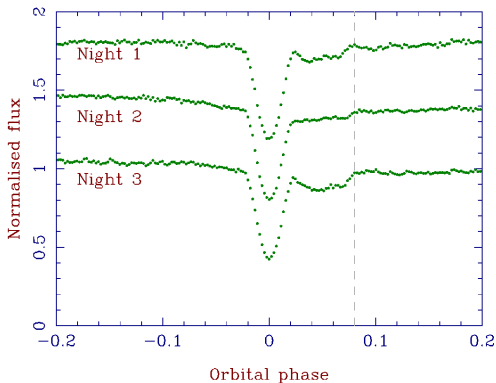


$$P = 67 \text{ min}, q = 0.05$$

SDSS0926, mean data, night-by-night

In SDSS0926, the bright-spot starts its eclipse **after** the white dwarf has come out of eclipse. q is clearly small.

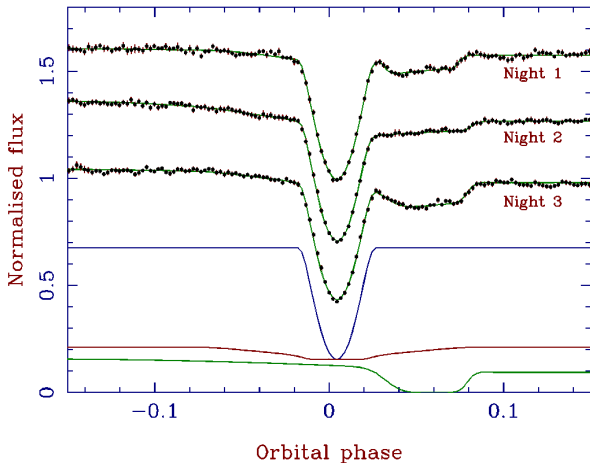
Disc radius variable from night-to-night (tidal instability of outer disc).



Light curve fits

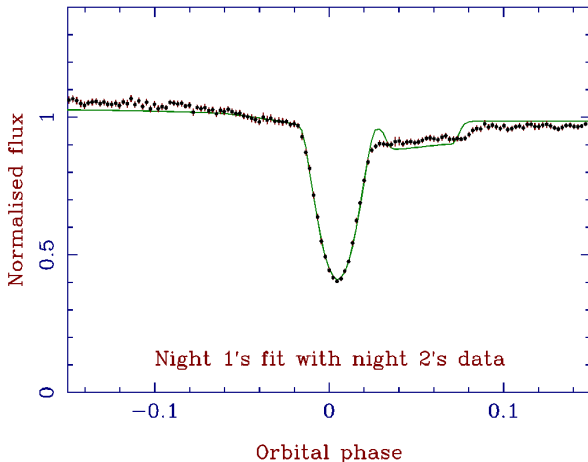
White dwarf
~ 70% of
flux; disc and
bright-spot
~ 15% each.

Typical of
quiescent
systems.



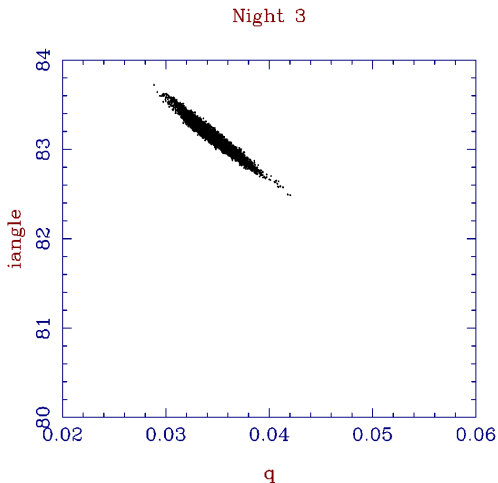
Distorted outer disc

From night 1 to night 2, the bright-spot's distance from the white dwarf changes from $0.33a$ to $0.42a$.



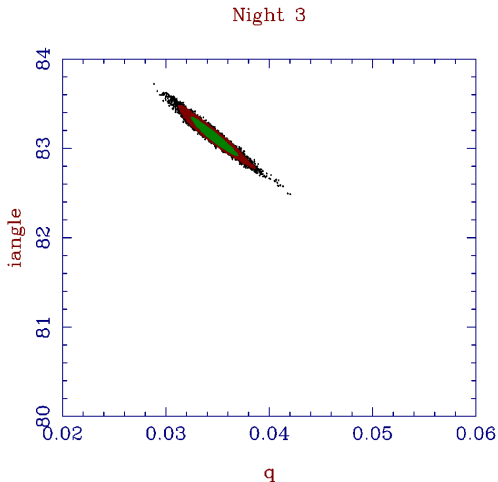
Fit parameters

Many parameter fits;
uncertainties best
derived using Markov
Chain Monte Carlo
(MCMC method, **not**
equivalent to the
“Monte Carlo”
method).



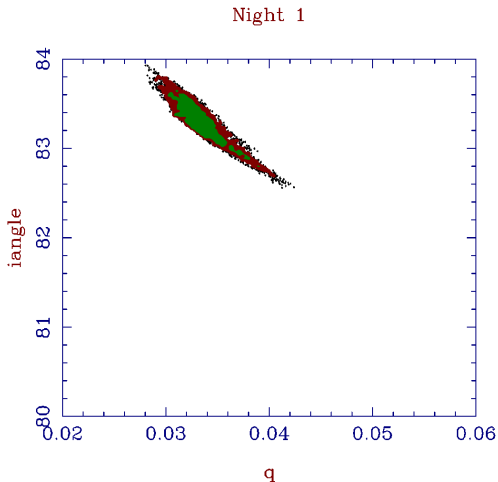
Fit parameters

Many parameter fits;
uncertainties best
derived using Markov
Chain Monte Carlo
(MCMC method, **not**
equivalent to the
“Monte Carlo”
method).



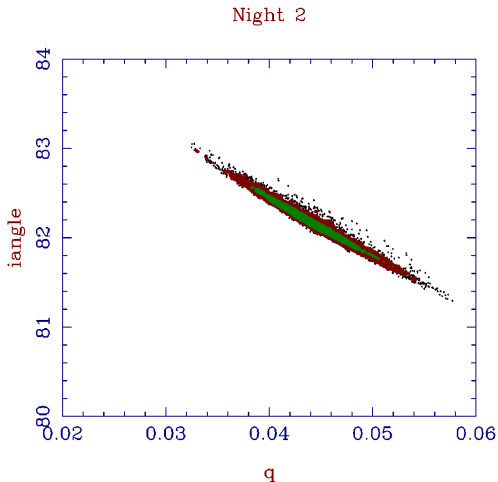
Fit parameters

Many parameter fits;
uncertainties best
derived using Markov
Chain Monte Carlo
(MCMC method, **not**
equivalent to the
“Monte Carlo”
method).



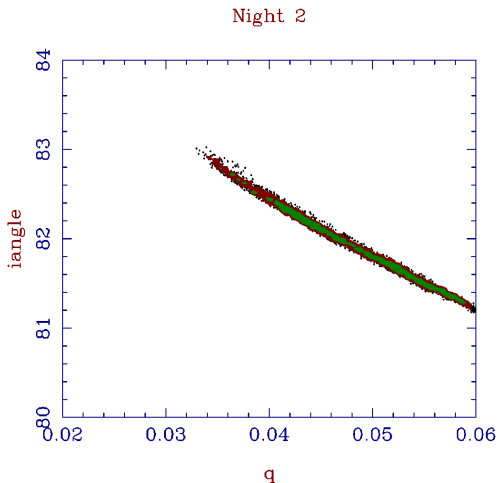
Fit parameters

Many parameter fits;
uncertainties best
derived using Markov
Chain Monte Carlo
(MCMC method, **not**
equivalent to the
“Monte Carlo”
method).



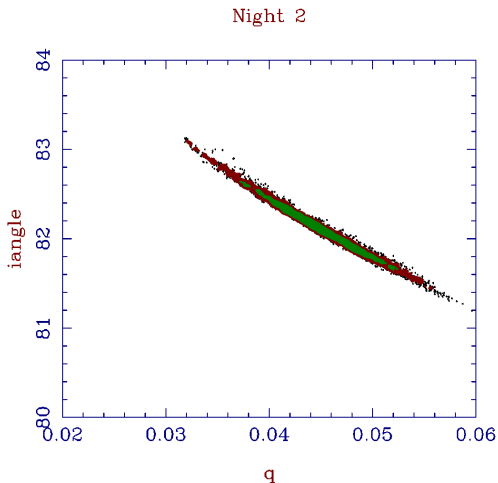
Fit parameters

Many parameter fits;
uncertainties best
derived using Markov
Chain Monte Carlo
(MCMC method, **not**
equivalent to the
“Monte Carlo”
method).



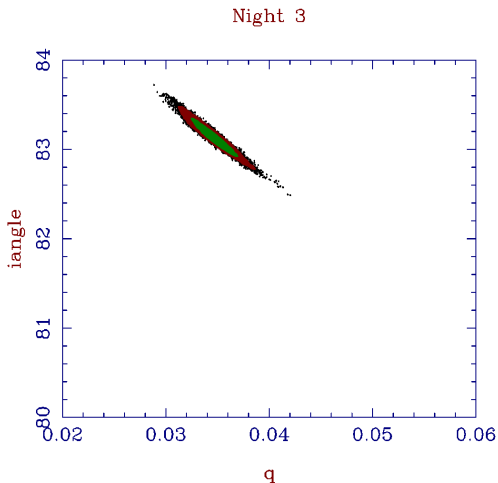
Fit parameters

Many parameter fits;
uncertainties best
derived using Markov
Chain Monte Carlo
(MCMC method, **not**
equivalent to the
“Monte Carlo”
method).



Fit parameters

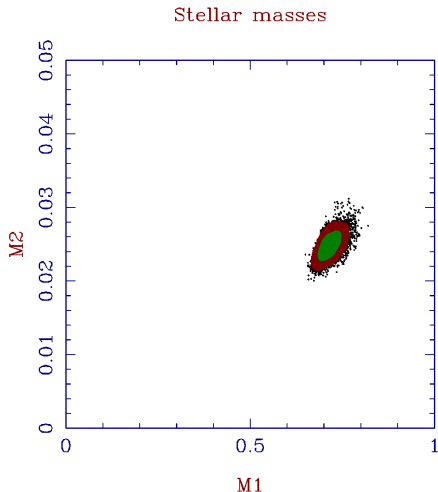
Many parameter fits;
uncertainties best
derived using Markov
Chain Monte Carlo
(MCMC method, **not**
equivalent to the
“Monte Carlo”
method).



Component masses

Donor mass
 $\sim 0.025 M_{\odot}$

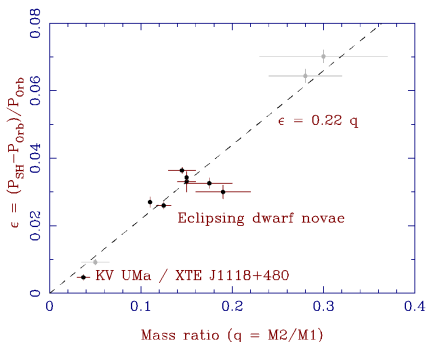
Smaller than reported
earlier ($\sim 0.029 M_{\odot}$),
and thus closer to
fully degenerate
 $0.020 M_{\odot}$. I have not
resolved why yet.



Patterson's ϵ - q relation for superhumps

Whitehurst (1987): at small $q = M_2/M_1$, outer disk distorts and precesses \rightarrow **superhumps**.

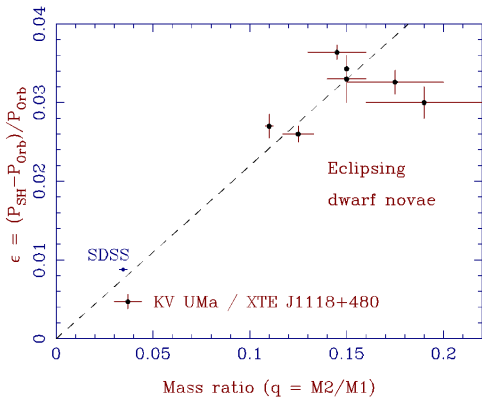
Patterson (2001) presented evidence for an empirical relation between $\epsilon = (P_{SH} - P_{orb})/P_{orb}$ and q .



Potentially simple way to measure q in AM CVn stars, but poorly constrained at very small q .

Patterson's ϵ - q relation for superhumps

SDSS0926 lies within
 $\sim 15\%$ of Patterson's
(2001) relation and is
by far the most secure
calibrator at small q



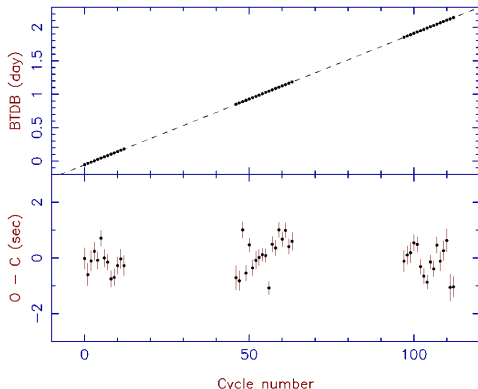
Timing

Mean eclipse time over 3 nights has RMS uncertainty ≈ 0.2 sec.

Time delay due to GWR-driven orbital evolution over 10 years ~ 5 sec.

\Rightarrow predicted evolution will be detectable within ~ 5 years.

Any enhancement from magnetic braking should be obvious.



Conclusions

1. The first eclipsing AM CVn star, **SDSS 0926+3624**, does not disappoint and has already the most secure parameters of any AM CVn star.
2. Patterson's (2001) $\epsilon-q$ relation survives SDSS0926 remarkably unscathed.
3. Future observations can (a) map out the shape of a superhumping disc, (b) firm up the parameters, (c) directly measure the period evolution, and (d) test whether magnetic braking operates in AM CVn stars.
4. *An eclipsing system in hand is worth ten in the fyndos; let's find some more!*